

Original Research Article

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Comparison of Pre-harvest Forecast Models of Kharif Rice using Weather Parameters in Valsad District of Gujarat State

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ABSTRACT

Keywords

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The growth of Indian economy mainly depends on agriculture sector as it accounts 18 percent of national GDP. Agriculture sector was one of the main area to impact by climate change. Pre-harvest forecast based on weather parameters plays very important role in developing countries. Rice is the most significant principal food in India which play fundamental role in day-to-day requisite of diet. In the current study statistical crop modeling was engaged to provide forecast in advance. In this paper discriminant function analysis and logistic regression techniques were used for estimating average rice yield for Valsad district in south Gujarat. The weather indices were developed for the years from 1990 to 2012 and utilized for model construction. The cross validation of the developed forecast model were confirmed using data of the years 2013 to 2016. The study discovered that high value of $Adj. R^2$ was obtained in the model and which indicated that it was appropriate forecast model than other models. Based on the outcomes in Valsad district, Logistic regression analysis is found better as compared to Discriminant function for pre harvest forecasting of rice crop yield.

Introduction

Developing countries like India need to concentrate on Agriculture as it accounts 18 percent of national GDP. Rice is the most important staple food among principal crop cultivated in Asia. More than 90.00 per cent of the world's rice is grown up and consumed in Asia, where 60.00 per cent of the world's population lives. In the Gujarat state, rice

occupies about 7.00 to 8.00 per cent of the gross cropped area of the state and accounts for around 14.00 per cent of the total food grain production. About 90.00 per cent of area under rice is confined to South and middle Gujarat (Singh *et al.*, 2014). The pioneer work on crop weather relationship study has been done by Fisher (1924) and Hendricks and Scholl (1943) at Indian Agricultural Statistic Research Institute, New Delhi. Later

Agrawal *et al.*, (1980) and Jain *et al.*, (1980) modified this model by expressing effects of changes in weather parameters on yield in the particular week as second degree polynomial in respective correlation coefficients between yield and weather parameters. This model was further modified (Agrawal *et al.*, 1986, 2011) by explaining the effects of changes in weather parameters on yield in particular week using correlation as weight using linear function. Some other investigators has developed different models for different region and found significant results. They are Patel *et al.*, (2007), Chauhan *et al.*, (2009), Garde *et al.*, (2012), Mahdi *et al.*, (2013), Singh *et al.*, (2014) and Pandey *et al.*, (2015) studied the relationship of weather parameters and rice crop yield in different regions of world. Varmola *et al.*, (2004), Agarwal *et al.*, (2012) Sisodia *et al.*, (2014) and Garde *et al.*, (2015) developed forecast models for Wheat crop in different regions of India. Similarly, for pigeon pea Kumar *et al.*, (1999) and Sarika *et al.*, (2011), for Sugarcane Priya and Suresh and for Ground nut Dhekale *et al.*, (2014) developed models. The development of forecast models for rice in Valsad district plays very important role, pre-harvest forecast needed in policy decision regarding export and import, food procurement and distribution, price policies and exercising several administrative measures for storage and marketing of agricultural commodities. Thus, the use of statistical models in forecasting food production and prices for agriculture hold great significance. Although no statistical model can help in forecasting the values exactly but by knowing even approximate values can help in formulating future plans.

Materials and Methods

The present study was carried out in the Valsad district of South Gujarat. Considering the specific objectives of the investigation, *Kharif* rice yield data were collected from the

Directorate of Economics and Statistics, Government of Gujarat, Gandhinagar, Gujarat from 1990 to 2016. The study utilized weekly weather data which were collected from the Department of Agro meteorology, Navsari Agricultural University, Navsari. The maximum temperature (X_1), minimum temperature (X_2), Morning relative humidity (X_3), Evening relative humidity (X_4), and total rain fall (X_5) considered for studying the effect on *Kharif* rice yield. The weekly weather data related to *Kharif* crop season starting from a first fortnight before sowing to last of reproductive stage were utilized for the development of statistical models. Therefore for the each year weather data, from May-June (23rd Standard Meteorological Week, SMW) to October (40th Standard Meteorological Week, SMW) were utilized for *kharif* crop.

Developed weather indices using correlation coefficient as weight

$$Z_{ij} = \sum_{w=1}^m \sum_{j=0}^1 r_{iw}^j X_{iw}$$

Where,

Z_{ij} is the developed weather indices of j^{th} weight for i^{th} weather variable

r_{iw} is correlation coefficient of de-trended Y with w^{th} week of i^{th} weather variable in w^{th} week

m is week of forecast

$i = 1, 2, \dots, p$

$j = 0, 1$

$w = 1, 2, \dots, m$

p 's are the number of parameters included in the model

Statistical approaches

In present investigation to analysis of data following different kind of statistical tools were utilized.

Discriminant function analysis

Discriminant analysis is an appropriate statistical technique when the dependent variable is categorical and the independent variables are metric. It involves deriving a variate, a linear combination of two or more independent variables were discriminate best between prior defined groups. It is also an appropriate statistical technique for testing the hypothesis that the group means of a set of independent variables for two or more groups are equal.

Development of models based on two groups

Method-1

The model was developed using weather indices, five unweighted weather indices were used to extract discriminant scores using discriminant function analysis. One discriminant score obtained for each year. The forecasting model was fitted taking the *Kharifrice* yield as the regressand and the one discriminant score (ds_1) & trend T as the regressors.

Model-1

$$Y = \beta_0 + \beta_1 ds_1 + \beta_2 T + \epsilon$$

Where,

Y is un-trended crop yield, β_i 's ($i = 0, 1, 2$) are model parameter, ds_1 is the discriminant scores, T is the trend variable and ϵ is error term assumed to follow $NID \sim (0, \sigma^2)$.

Method-2

The model was developed using weather indices, five weighted weather indices were used to extract discriminant scores using

discriminant function analysis. One discriminant score was obtained. The forecasting model was fitted taking the *Kharifrice* yield as the regressand and the one discriminant score (ds_1) and trend T as the regressors.

Model-2

$$Y = \beta_0 + \beta_1 ds_1 + \beta_2 T + \epsilon$$

Where,

Y is un-trended crop yield, β_i 's ($i = 0, 1, 2$) are model parameter, ds_1 is the discriminant scores, T is the trend variable and ϵ is error term assumed to follow $NID \sim (0, \sigma^2)$

Method-3

This model was same as developed by (Rai and Chandrahas, 2000). Total time starting from three weeks before transplanting up to the time of forecast (*i.e.*, 14 weeks starting from 23rd SMW) has been divided into five stages where each stages consists of different number of weeks. For each stage and each weather variable simple average of the weather data in the different weeks within the stage was obtained. This way for each phase five average weather variables were obtained. Taking these five average weather variables, phase wise discriminant function analysis was carried out and entire data on weather variables were converted to one discriminant score for each phase in each year. Thus, in all five scores were obtained for each year. Using these five discriminant scores and time trend as regressors and *Kharif* rice yield as regress and, model was fitted using regression technique.

Model-3

$$Y = \beta_0 + \sum_{l=1}^1 \sum_{m=1}^5 \beta_{lm} ds_{lm} + \beta_{11} T + \epsilon$$

Where,

β_0 = intercept of the model, β_{lm} 's ($l=1, m= 1, 2, \dots, 4$) and β_{1j} are the regression coefficients, ds_{lm} is the l^{th} discriminant score in m^{th} phase, T is the trend variable (year) and ε is error NID $\sim (0, \sigma^2)$

Development of models based on three groups

Method-4

The model was developed using weather indices, five unweighted weather indices were used to extract discriminant scores using discriminant function analysis.

Two discriminant scores were obtained. The forecasting model was fitted taking the *Khari* rice yield as the regressand and the two sets of scores (ds_1 and ds_2) and trend T as the regressors.

Model-4

$$Y = \beta_0 + \beta_1 ds_1 + \beta_2 ds_2 + \beta_3 T + \varepsilon$$

Where,

Y is un-trended crop yield, β_i 's ($i = 0, 1, 2, 3$) are model parameter, ds_1 and ds_2 are two sets of discriminant scores, T is the trend variable and ε is error term assumed to follow NID $\sim (0, \sigma^2)$.

Method-5

The model was developed using weather indices, five weighted weather indices were used to extract discriminant scores using discriminant function analysis. Two discriminant scores were obtained. The forecasting model was fitted taking the *Khari* rice yield as the regressand and the two sets of scores (ds_1 and ds_2) and trend T as the regressors.

Model-5

$$Y = \beta_0 + \beta_1 ds_1 + \beta_2 ds_2 + \beta_3 T + \varepsilon$$

Where,

Y is un-trended crop yield, β_i 's ($i = 0, 1, 2, 3$) are model parameter, ds_1 and ds_2 are two sets of discriminant scores, T is the trend variable and ε is error term assumed to follow NID $\sim (0, \sigma^2)$.

Method-6

This model was same as developed by (Rai and Chandrabhas, 2000). Total time starting from three weeks before transplanting up to the time of forecast (*i.e.*, 14 weeks starting from 23rd SMW) has been divided into five stages where each stage consists of different number of weeks. For each stage and each weather variable simple average of the weather data in the different weeks within the stage was obtained. This way for each phase five average weather variables were obtained. Taking these five average weather variables, phase wise discriminant function analysis was carried out and entire data on weather variables were converted to two discriminant scores for each phase in each year. Thus, in all ten scores were obtained for each year. Using these ten discriminant scores and time trend as regressors and *Khari* rice yield as regressand, model was fitted using regression technique.

Model-6

$$Y = \beta_0 + \sum_{l=1}^2 \sum_{m=1}^5 \beta_{lm} ds_{lm} + \beta_{11} T + \varepsilon$$

Where,

β_0 = intercept of the model, β_{lm} 's ($l=1, 2; m= 1, 2, \dots, 4$) and β_{1j} are the regression coefficients, ds_{lm} is the l^{th} discriminant score in m^{th} phase, T is the trend variable (year) and ε is error NID $\sim (0, \sigma^2)$.

Logistic regression

Logistic regression is mathematical modelling approach that can be used to describe the relationship of several variables to a binary/dichotomous dependent variable. Cox (1958) and Walker and Duncan (1967) are pioneer to logistic regression.

Models were developed as discriminant function for two and three groups, here logistic probabilities were generated using ordinal logistic regression instead of discriminant scores. These logistic probabilities were utilized for the development of models. Another six models were developed in this approach and the Models were named as Model-7 to Model-12 in sequence as in discriminant function analysis.

Comparison and validation of models

The comparisons and validation of models were done using following approaches.

Forecast error (%)

The validation of the model using observed yield (O_i) and forecasted yield (E_i) was computed using below formula.

$$\text{Forecast Error} = \left[\frac{O_i - E_i}{O_i} \right] \times 100$$

Coefficient of multiple determination (Adjusted r^2)

The best fitted model among developed models were decided based on highest value of Adjusted R^2

$$R_{adj}^2 = 1 - \frac{SS_{res} / (n - p)}{SS_t / (n - 1)}$$

Where,

$SS_{res} / (n - p)$ is the residual mean square
 $SS_t / (n - 1)$ is the total mean sum of square.

Root Mean Squared Error (RMSE)

The cross validation of the model were done using RMSE, for the year 2013 to 2016 using observed yield (O_i) and forecasted yield (E_i) was computed using below formula,

$$RMSE = \left[\frac{1}{n} \sum_{i=1}^n (O_i - E_i)^2 \right]^{1/2}$$

Results and Discussion

The models were developed from 35th Standard Meteorological Week (SMW) to 40th Standard Meteorological Week (SMW) for all identified methods of model construction and best model was selected based on highest Adj. R^2 . Models developed using two group discriminant function analysis were indicated in Table 1 and models developed using three group discriminant function analysis were indicated in Table 3. Table 5 and 7 were developed using two and three group ordinal logistic regression analysis respectively.

The Adj. R^2 values varies from 26.90 per cent to 64.30 per cent for two group discriminant function analysis which is presented in Table 1. Model-2 is considered as best fit for two group discriminant function analysis with highest Adj. R^2 value of 64.30 per cent. Similarly for three group discriminant function analysis Adj. R^2 varies from 33.30 per cent to 65.20 per cent which is presented in Table 3. Model-5 is considered as best fit with highest Adj. R^2 value of 65.20 per cent. Comparisons of models were made using forecast yield, forecast error and RMSE. Among the best fitted models, forecast error ranges from 5.37 to 25.21 in Model-2 and 7.49 to 25.91 in Model-5 and RMSE of Model-2 is

404.21 which is lower than Model-5's RMSE value of 421.14. Based on highest Adj. R^2 Model-5 was selected as best fit among discriminant function analysis models which utilizes maximum amount of data for analysis. Graphical representation of comparison of different discriminant function models was given in Figure 1 and 2. In logistic regression analysis, the Adj. R^2 value varies from 28.20 per cent to 68.10 per cent which is indicated

in Table 5 and Model-8 was selected as best fit for two group logistic regression analysis based on Adj. R^2 value.

Similarly for three groups Adj. R^2 varies from 39.10 per cent to 61.80 per cent as shown in Table 7 and the Model-11 was selected as best based on higher Adj. R^2 value (Table 1–9).

Table.1 Pre-harvest forecast models for two group discriminant function analysis

SMW	Model Name	Model Equations	Adj. R^2
38	Model-1	$Y=1918.52+5.64T-81.62ds_1^*$	26.90
40	Model-2	$Y=1896.34+7.49T^*+101.99ds_1^*$	64.30
39	Model-3	$Y=1921.38+5.40T-62.44ds_1+23.77ds_2-68.59ds_3^*$	34.90

Table.2 Comparison of Pre-harvest forecast models for two group discriminant function analysis

SMW	Model Name	Year	Observed yield	Forecasted Yield	Forecast Error	RMSE	Adj R^2
38	Model-1	2013	2157	2154	0.12	468.20	26.90
		2014	2479	2176	12.24		
		2015	2423	2111	12.88		
		2016	2888	2059	28.71		
40	Model-2	2013	2157	2041	5.37	404.21	64.30
		2014	2479	2225	10.25		
		2015	2423	2209	8.83		
		2016	2888	2160	25.21		
39	Model-3	2013	2157	2037	5.56	467.10	34.90
		2014	2479	2123	14.36		
		2015	2423	2176	10.20		
		2016	2888	2069	28.36		

Table.3 Pre-harvest forecast models for three group discriminant function analysis

SMW	Model Name	Model Equations	Adj. R^2
38	Model-4	$Y=1998.44-1.02T-103.74ds_1^*+19.40ds_2$	33.30
40	Model-5	$Y=1929.39+4.73T+99.20ds_1^*+14.27ds_2$	65.20
35	Model-6	$Y=1986.24+102.82ds_1^*$	39.00

Table.4 Comparison of Pre-harvest forecast models for three group discriminant function analysis

SMW	Model Name	Year	Observed yield	Forecasted Yield	Forecast Error	RMSE	Adj R ²
38	Model-4	2013	2157	2089	3.12	433.45	33.30
		2014	2479	2268	8.53		
		2015	2423	2201	9.17		
		2016	2888	2080	27.98		
40	Model-5	2013	2157	1956	9.32	421.14	65.20
		2014	2479	2206	11.03		
		2015	2423	2242	7.49		
		2016	2888	2138	25.95		
40	Model-6	2013	2157	1913	11.31	668.35	39.00
		2014	2479	1759	29.06		
		2015	2423	1850	23.66		
		2016	2888	1950	32.48		

Table.5 Pre-harvest forecast models for two group logistic regression analysis

SMW	Model Name	Model Equations	Adj. R ²
38	Model-7	$Y=2101.55+6.17T-362.94P_{S1}^*$	28.20
40	Model-8	$Y=2054.89+6.25T-275.32P_{S1}^*$	68.10
40	Model-9	$Y=2121.13+6.13T-304.25P_{S1}+265.88P_{S2}-361.22P_{S3}$	35.60

Table.6 Comparison of Pre-harvest forecast models for two group logistic regression analysis

Model Name	SMW	Year	Observed yield	Forecasted Yield	Forecast Error	RMSE	Adj R ²
Model-7	38	2013	2157	2170	-0.63	463.67	28.20
		2014	2479	2190	11.67		
		2015	2423	2121	12.48		
		2016	2888	2060	28.66		
Model-8	40	2013	2157	1930	10.53	455.47	68.10
		2014	2479	1936	21.91		
		2015	2423	2217	8.49		
		2016	2888	2224	22.99		
Model-9	40	2013	2157	2059	4.53	463.23	35.60
		2014	2479	2126	14.23		
		2015	2423	2163	10.72		
		2016	2888	2077	28.07		

Table.7 Pre-harvest forecast models for three group logistic regression analysis

SMW	Model Name	Model Equations	Adj. R ²
35	Model-10	$Y=2295.57-0.51T-597.98P_{S_1}*-313.81P_{S_2}$	39.10
40	Model-11	$Y=2020.45+7.27T-289.12P_{S_1}*-68.66P_{S_2}$	61.80
39	Model-12	$Y=2211.16-440.94P_{S_1}*-205.78P_{S_5}*$	53.30

Table.8 Comparison of Pre-harvest forecast models for two group logistic regression analysis

Model Name	SMW No.	Year	Observed yield	Forecasted Yield	Forecast Error	RMSE	Adj R ²
Model-10	35	2013	2157	2095	2.85	466.13	39.10
		2014	2479	2145	13.49		
		2015	2423	2140	11.70		
		2016	2888	2067	28.41		
Model-11	40	2013	2157	1921	10.94	532.73	61.80
		2014	2479	2033	17.98		
		2015	2423	2037	15.93		
		2016	2888	2032	29.63		
Model-12	39	2013	2157	1986	7.90	446.52	53.30
		2014	2479	2122	14.41		
		2015	2423	2139	11.71		
		2016	2888	2139	25.92		

Table.9 Comparison of Pre-harvest forecast models for discriminant function and logistic regression analysis

Model Name	SMW	Year	Observed yield	Forecasted Yield	Forecast Error	RMSE	Adj R ²
Model-5	40	2013	2157	1956	9.32	421.14	65.20
		2014	2479	2206	11.03		
		2015	2423	2242	7.49		
		2016	2888	2138	25.95		
Model-8	40	2013	2157	1930	10.53	455.47	68.10
		2014	2479	1936	21.91		
		2015	2423	2217	8.49		
		2016	2888	2224	22.99		

Fig.1 Graphical representation of two group discriminant function analysis

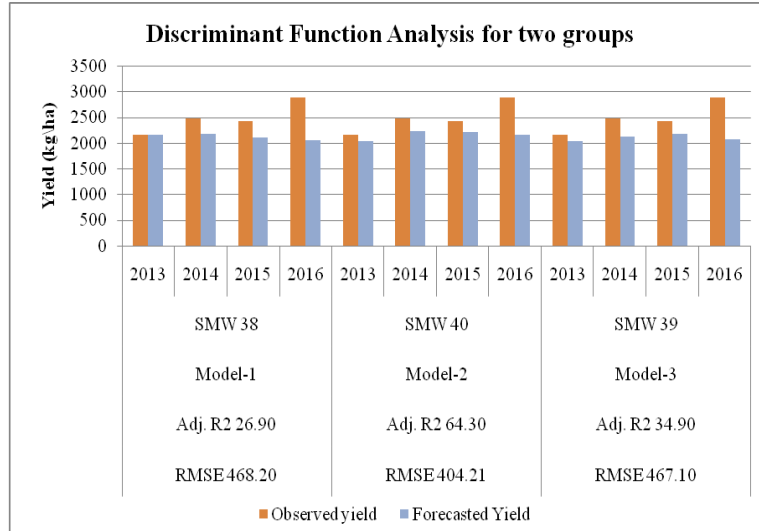


Fig.2 Graphical representation of three group discriminant function analysis

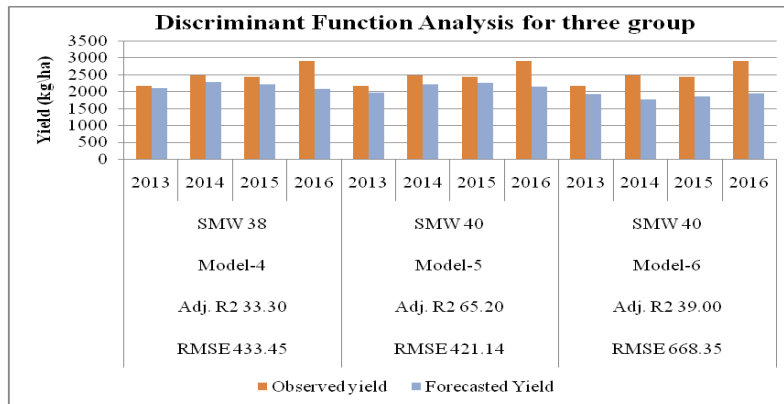


Fig.3 Graphical representation of two group Logistic regression analysis

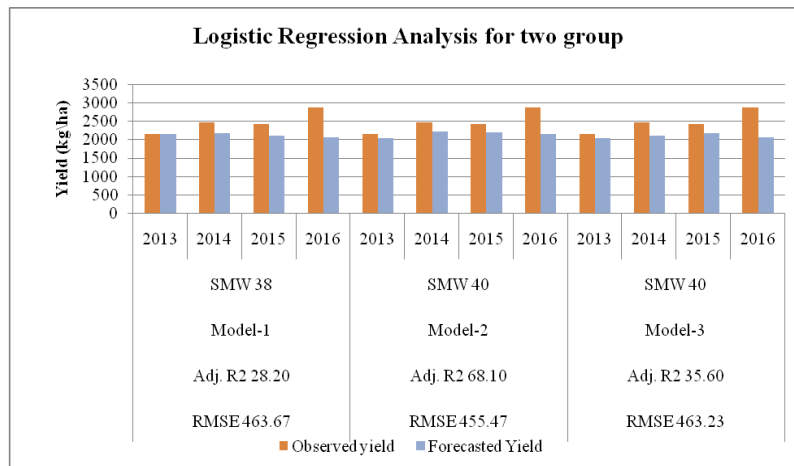


Fig.4 Graphical representation of the group Logistic regression analysis

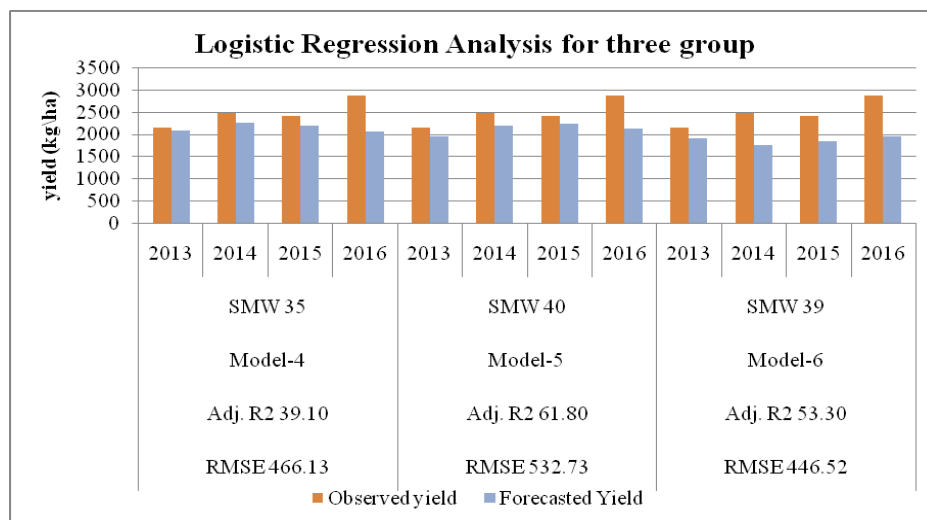
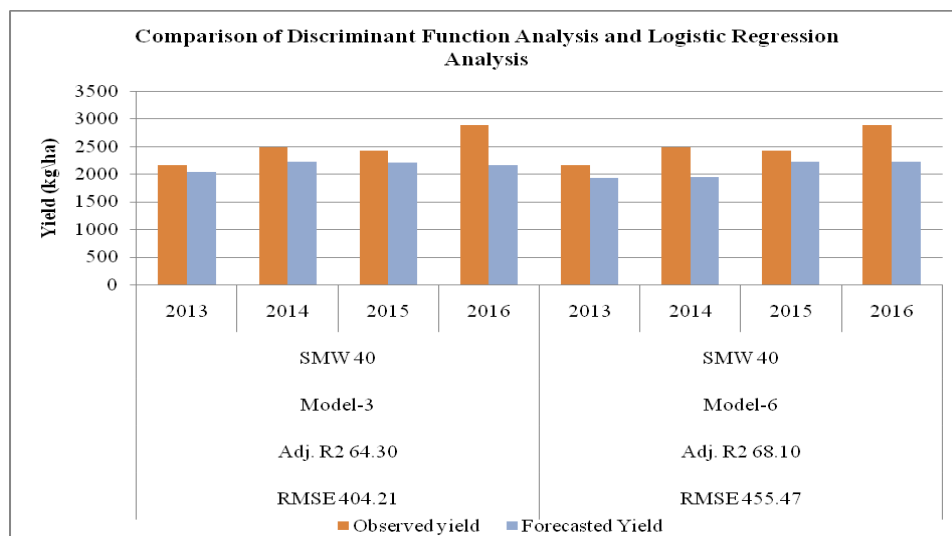


Fig.5 Graphical representation comparison of discriminant function and logistic regression



Comparisons of models were made using forecast yield, forecast error and RMSE. Among the best models, the forecast error ranges from 8.49 to 22.99 in Model-8 and 10.94 to 29.63 in Model-11. The RMSE value for Model-8 is 455.47 which is lower than Model-11's RMSE value of 532.73. Model-8 is selected as best fit model among logistic regression analysis models based on highest Adj. R^2 with lower RMSE value of 455.47. Graphical representation of comparison of different logistic regression models was given

in Figure 3 and 4. The comparison of discriminant function analysis and logistic regression analysis were made using Adj. R^2 , forecast error and RMSE criteria. Logistic regression analysis was found better as compared to Discriminant function in terms of highest Adj. R^2 (68.10) and slightly higher RMSE (455.47) as compared to Model-5's RMSE value of 421.14 and forecast error ranges from 8.49-22.99 which is presented in Table 9. Graphical representation of comparison of discriminant function and

logistic regression models was given in Figure 5.

In conclusion, using the forecast techniques like discriminant function analysis and logistic regression, pre-harvest estimates of rice crop yield for Valsad district could be computed successfully before five weeks of actual harvest. Kumari *et al.*, (2016) and Sudesh *et al.*, (2016) were developed logistic regression with traditional model and found that logistic regression was superior to traditional methods. It can be concluded from the results that, there is a wide scope for using alternative approaches to develop predictors that could be used in forecasting models for reliable and dependable forecast. Therefore, it is important to develop pre-harvest forecasting models and these forecasts have significant value in agricultural planning and policy making. This methodology can be applicable in many crops *viz.* rice, pulses, oil seeds, sugarcane etc.

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